

# TYPES of DELAY LINE NETWORKS Example: $F = 4$ Input Lines ( $\alpha, \beta, \gamma, \delta$ ), $P = 2$ TTD States

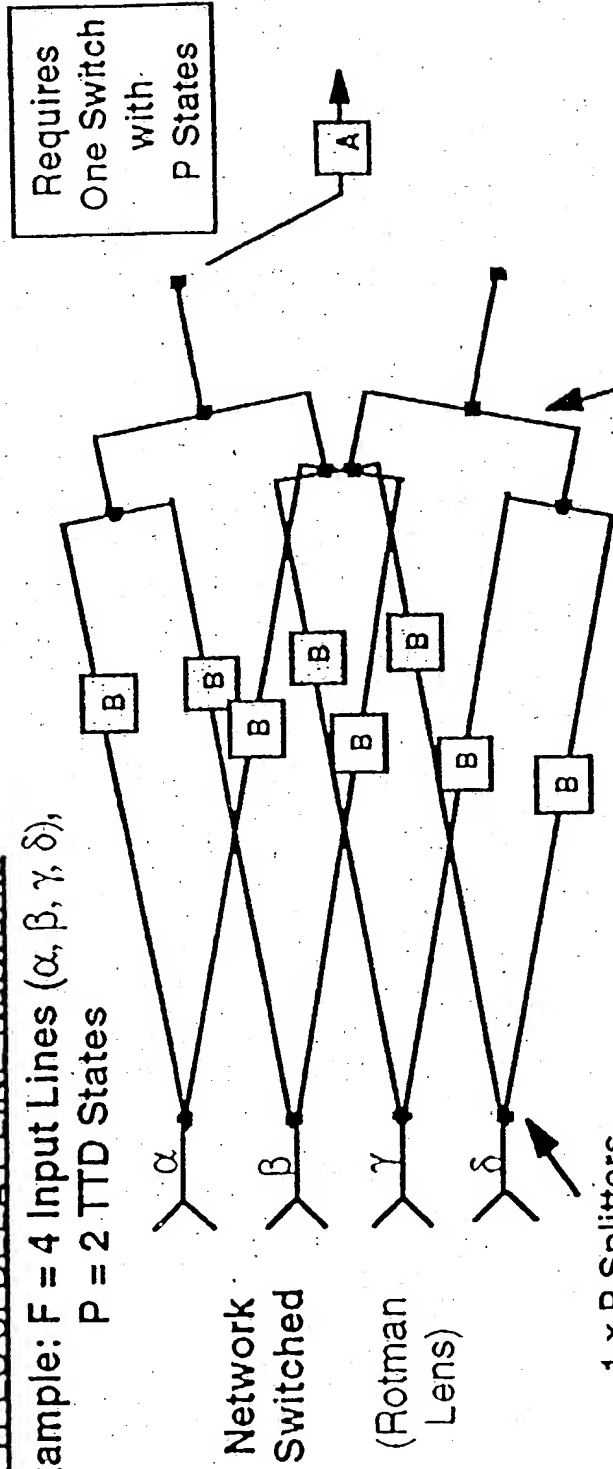


Fig. 1a

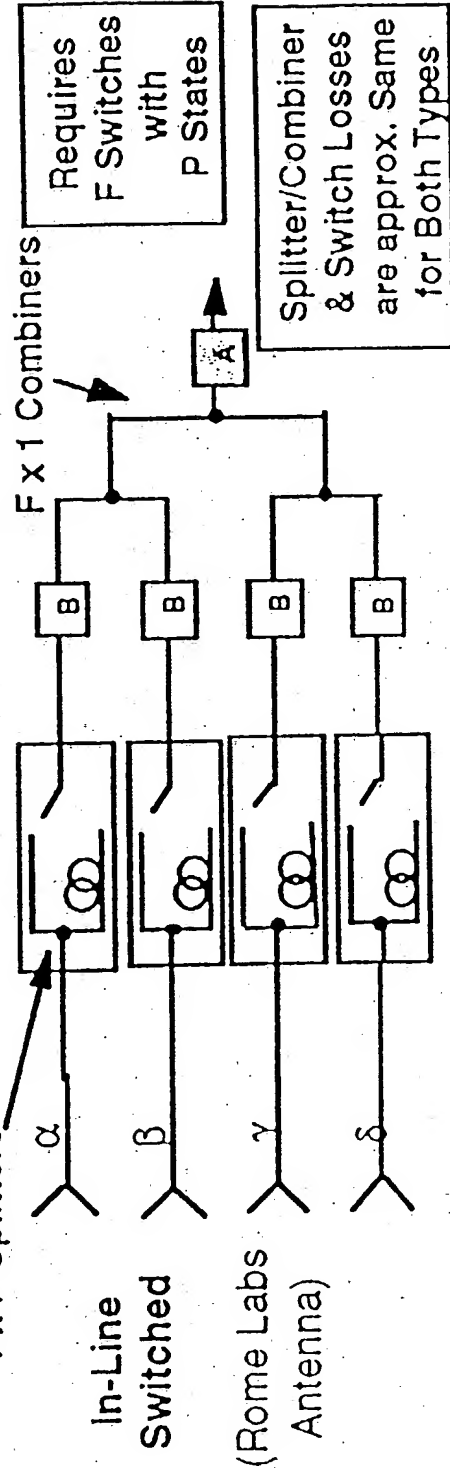


Fig. 1b

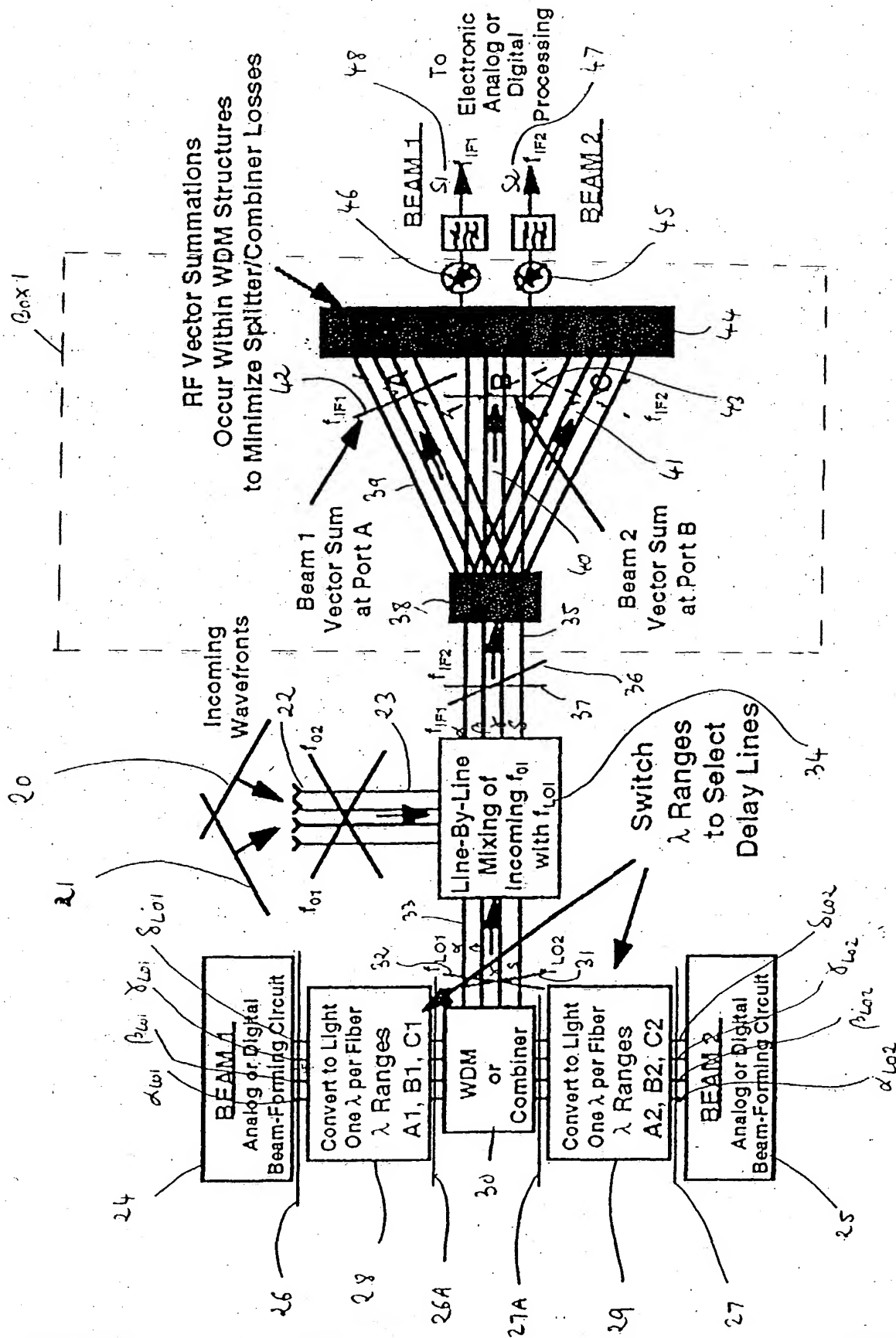


Fig. 2

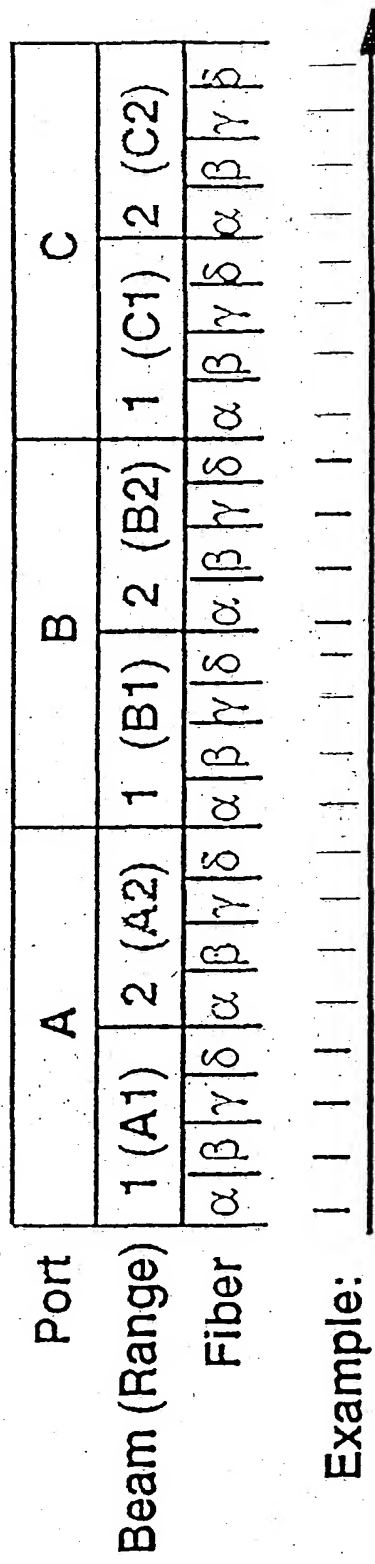


Fig. 3a

Port		A				B				C			
Beam (Range)		1 (A1)		2 (A2)		1 (B1)		2 (B2)		1 (C1)		2 (C2)	
Fiber		$\alpha$	$\beta$	$\gamma$	$\delta$	$\alpha$	$\beta$	$\gamma$	$\delta$	$\alpha$	$\beta$	$\gamma$	$\delta$

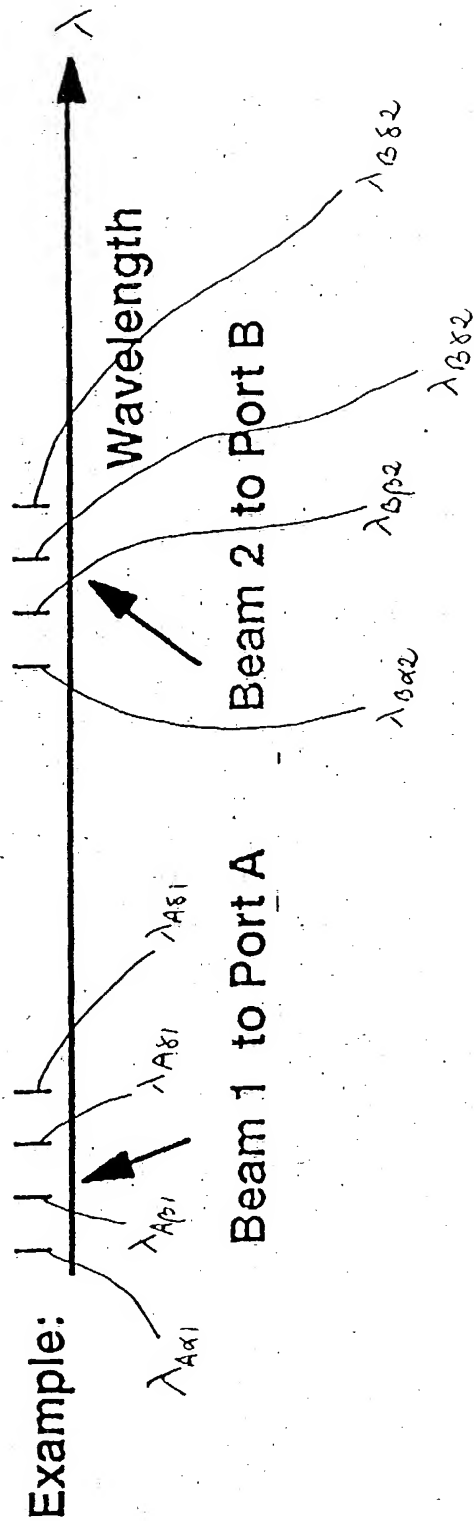
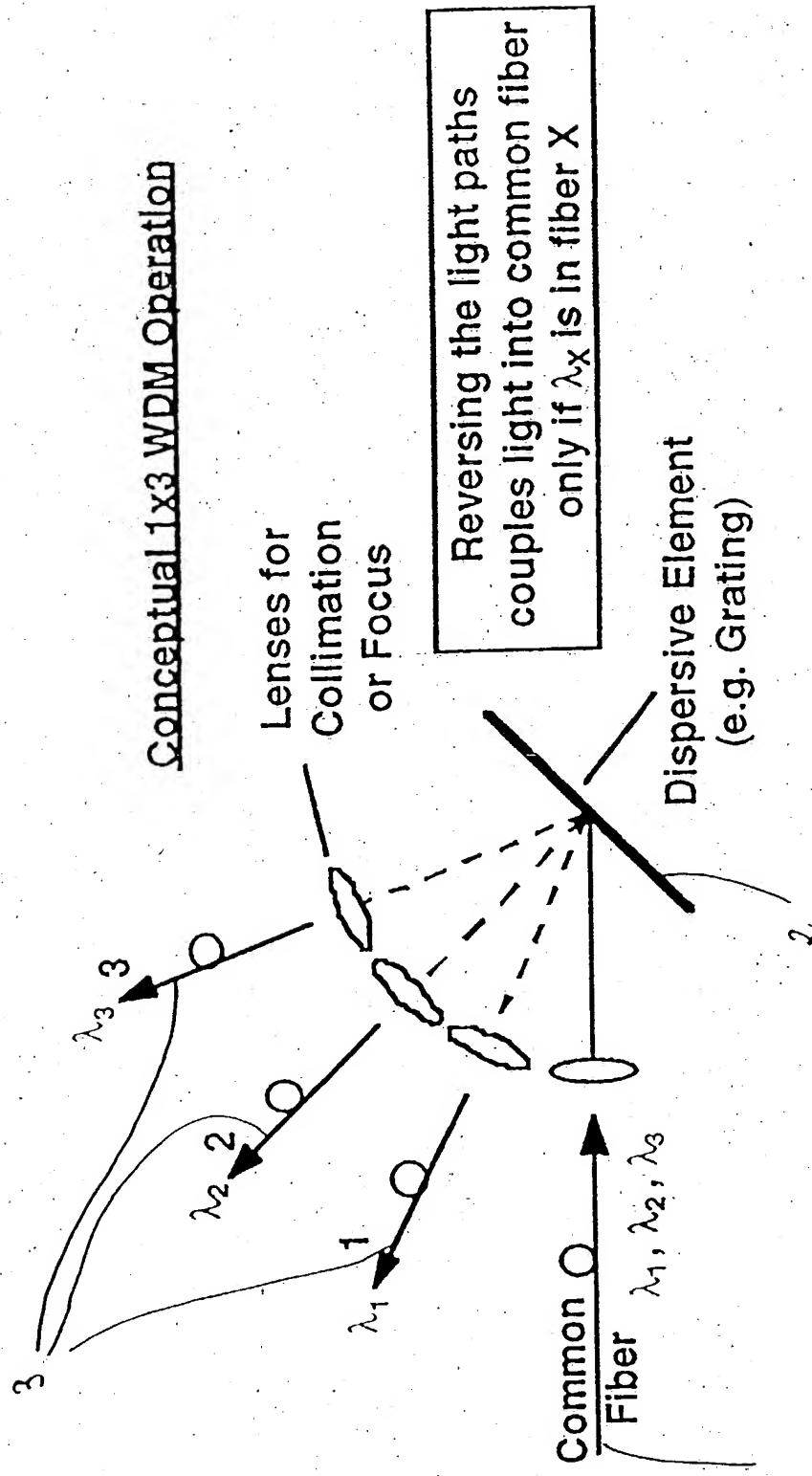


Fig. 3b



Conceptual 1x3 WDM Operation

Reversing the light paths  
 couples light into common fiber  
 only if  $\lambda_x$  is in fiber X

Fig. 4

Fig. 5

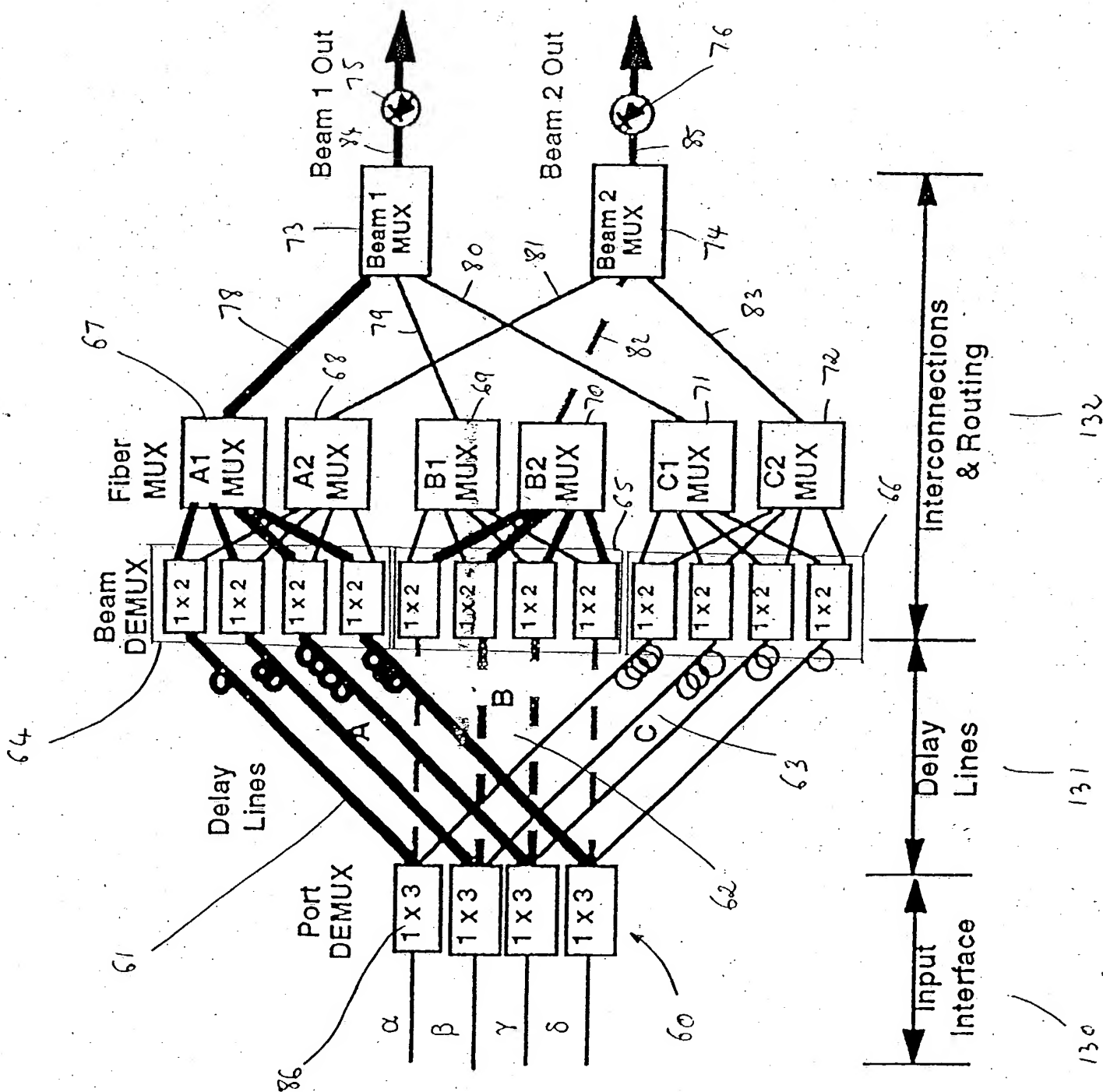
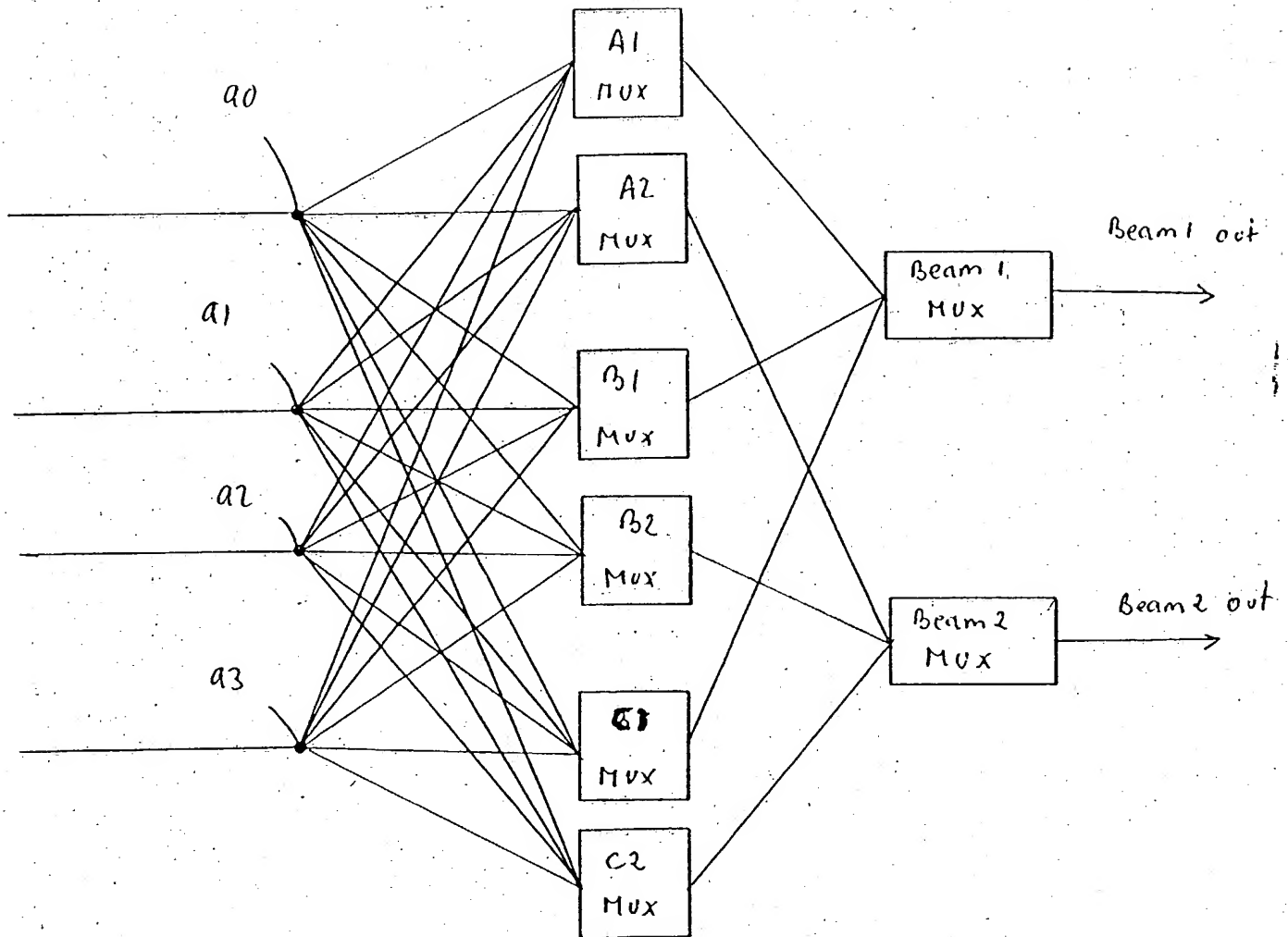


Fig. 6



WDM  
Beam  
DEMUX

1x1

1x1

1x2

1x2

1x2

1x2

1x2

1x2

1x2

1x2

1x2

1x2

1x2

Port  
DEMUX

1x3

1x3

1x3

1x3

100

Beam 1 out



Beam 2 out



101

Fig. 7



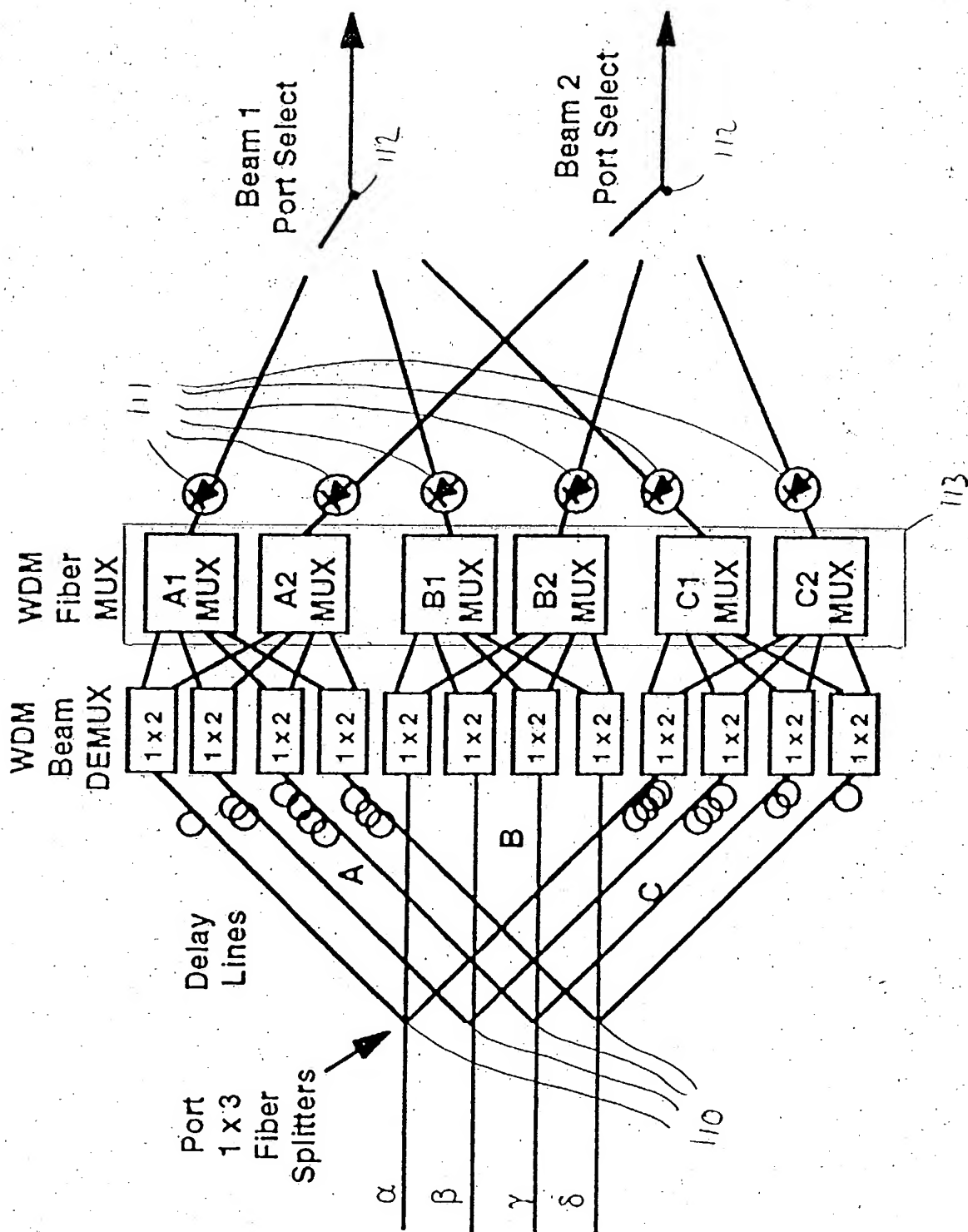


Fig. 8

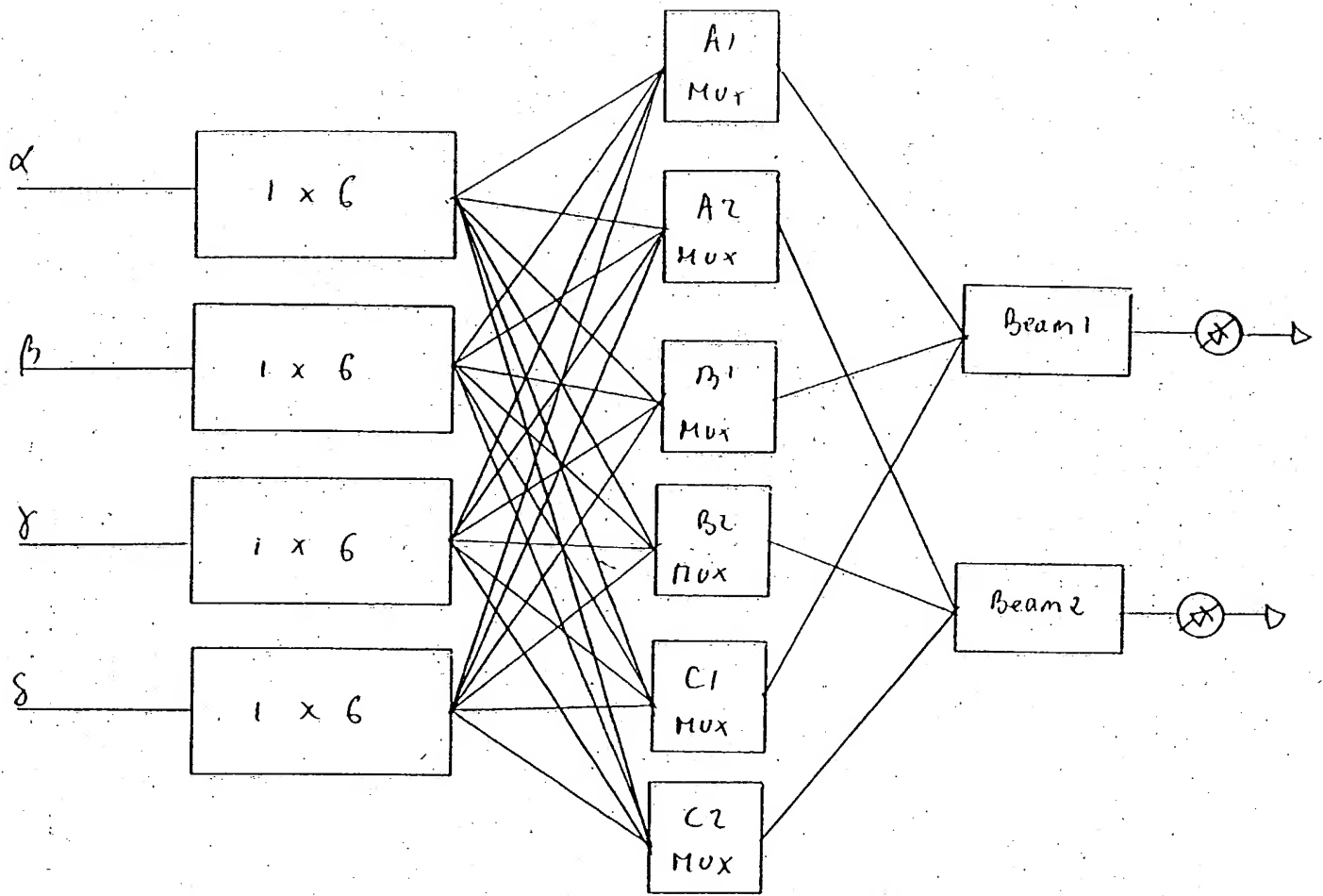


Fig- 9

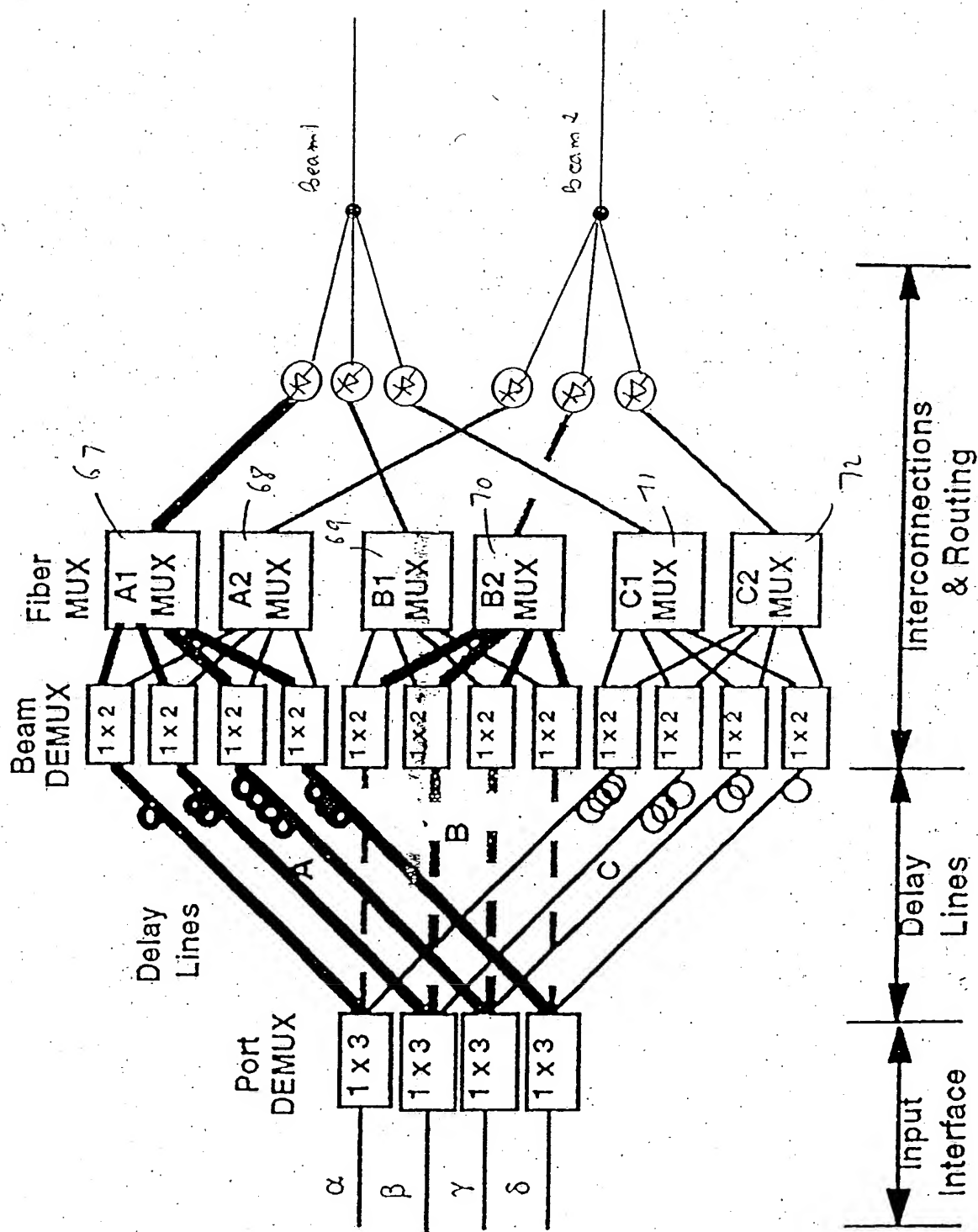


Fig. 10

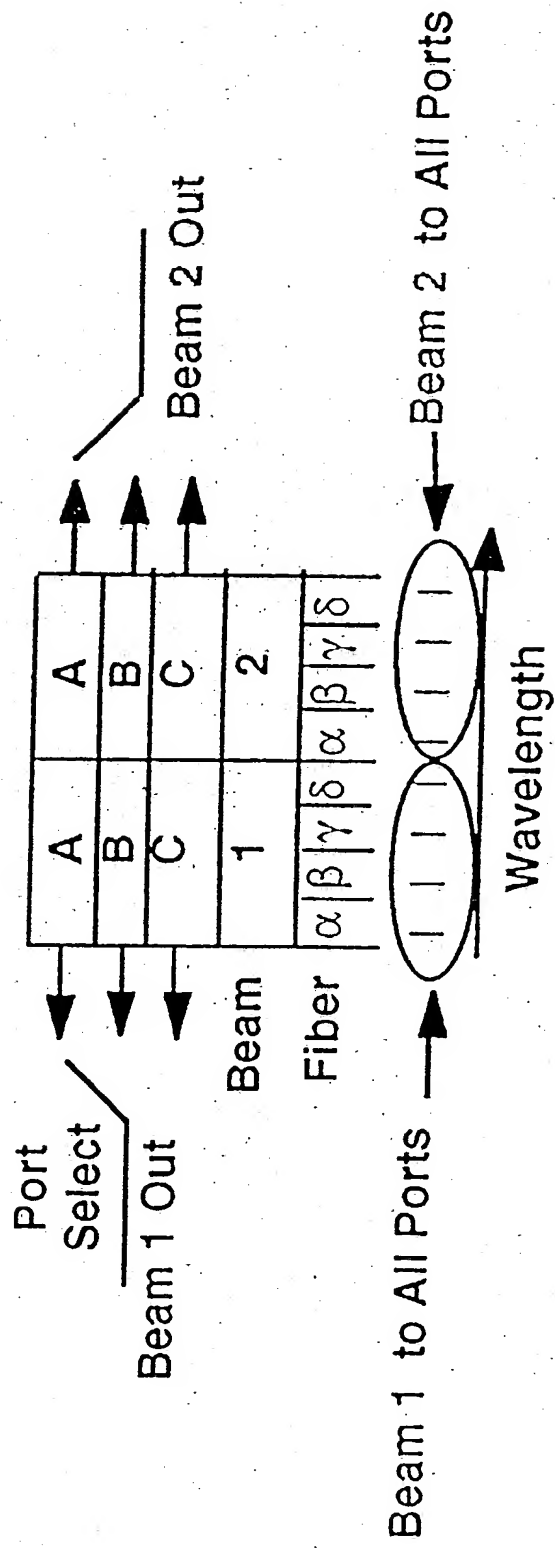


Fig. 11

# Fiber Connections in 2-D Network Switched Delay Lines (Fiber Rotman Lens)

Port Connections for  
One Fiber in Array

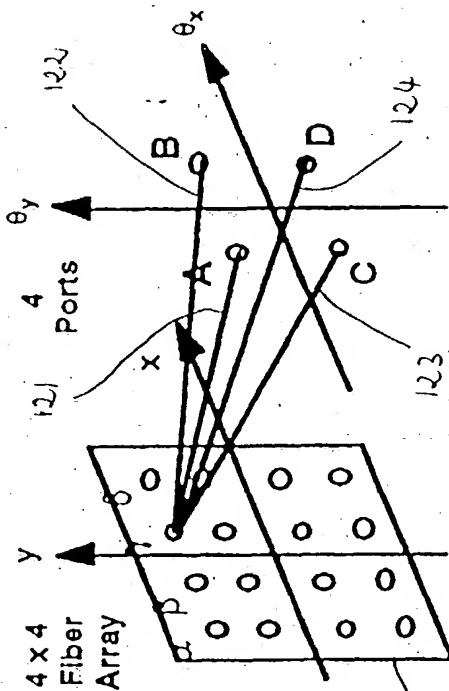


Fig. 12a

Connections to Fiber Array  
for One Rotman Port

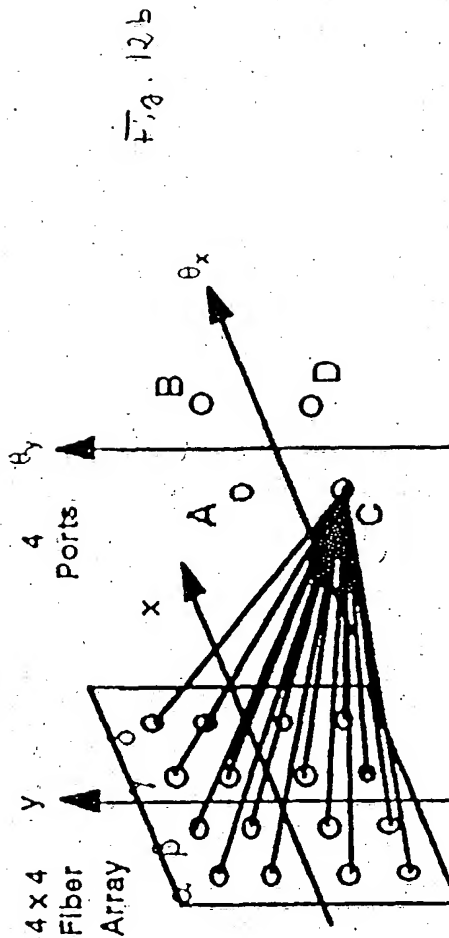


Fig. 12b

For a given port, the delay paths differ by  $\Delta L_x$  and  $\Delta L_y$  while passing from fiber to fiber in the array

$$\Delta L_x = (Dv/c) \sin \theta_x, \quad \Delta L_y = (Dv/c) \sin \theta_y$$

D = Antenna element spacing  
v = Light velocity in delay line  
c = Light velocity in vacuum  
 $\theta_x, \theta_y$  = x, y components of delay line scan angle

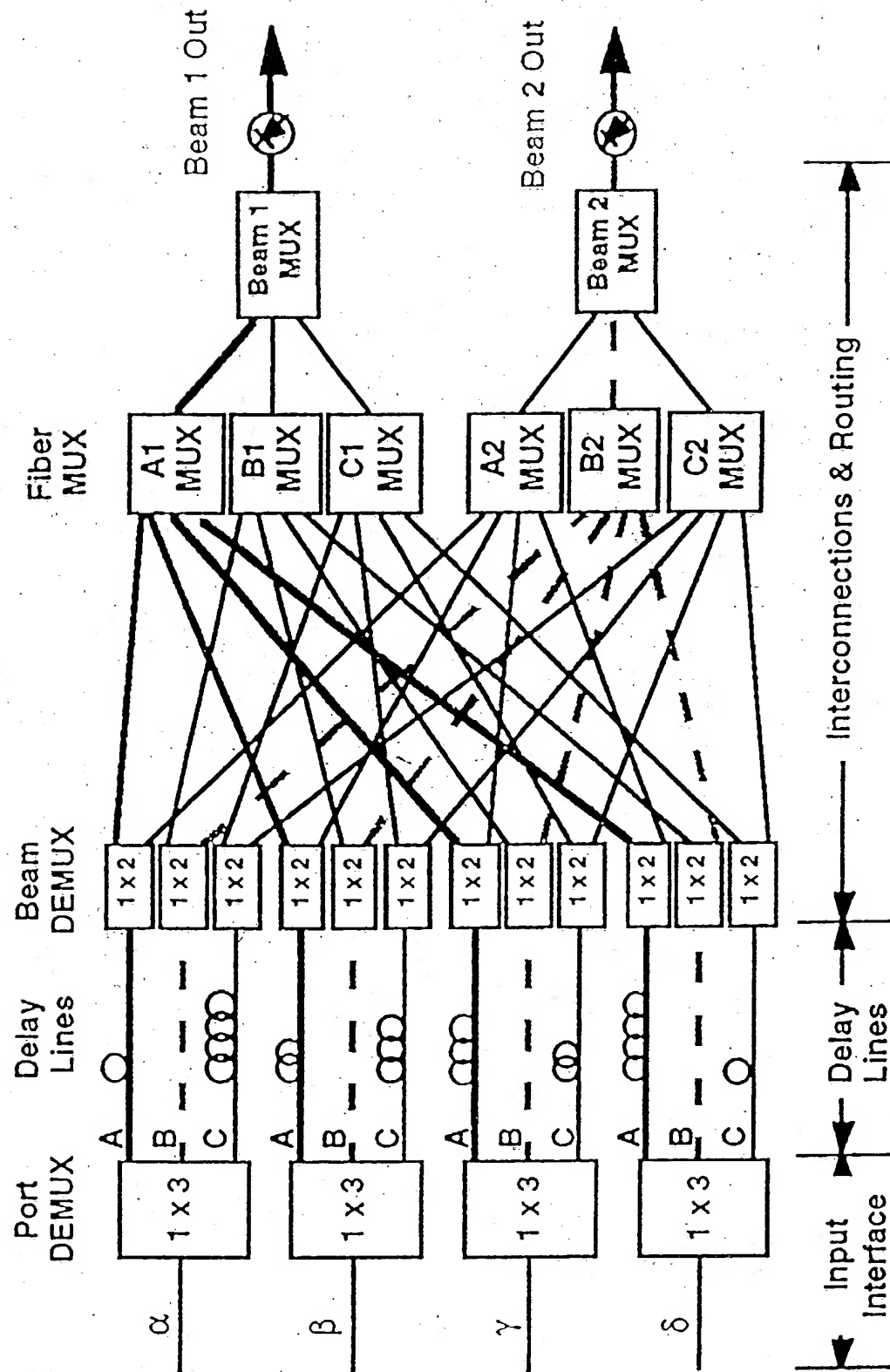


Fig. 13

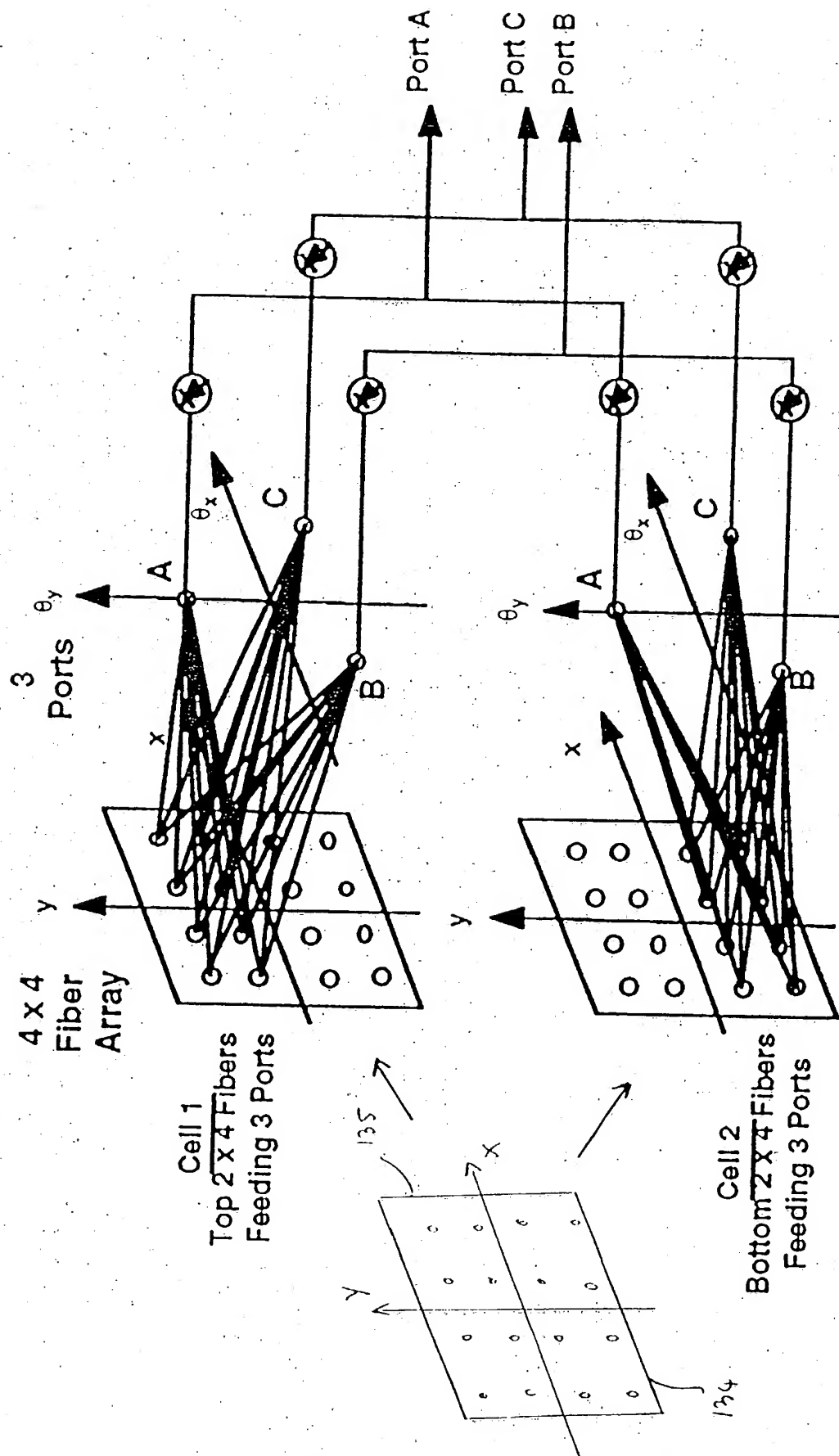


Fig. 14

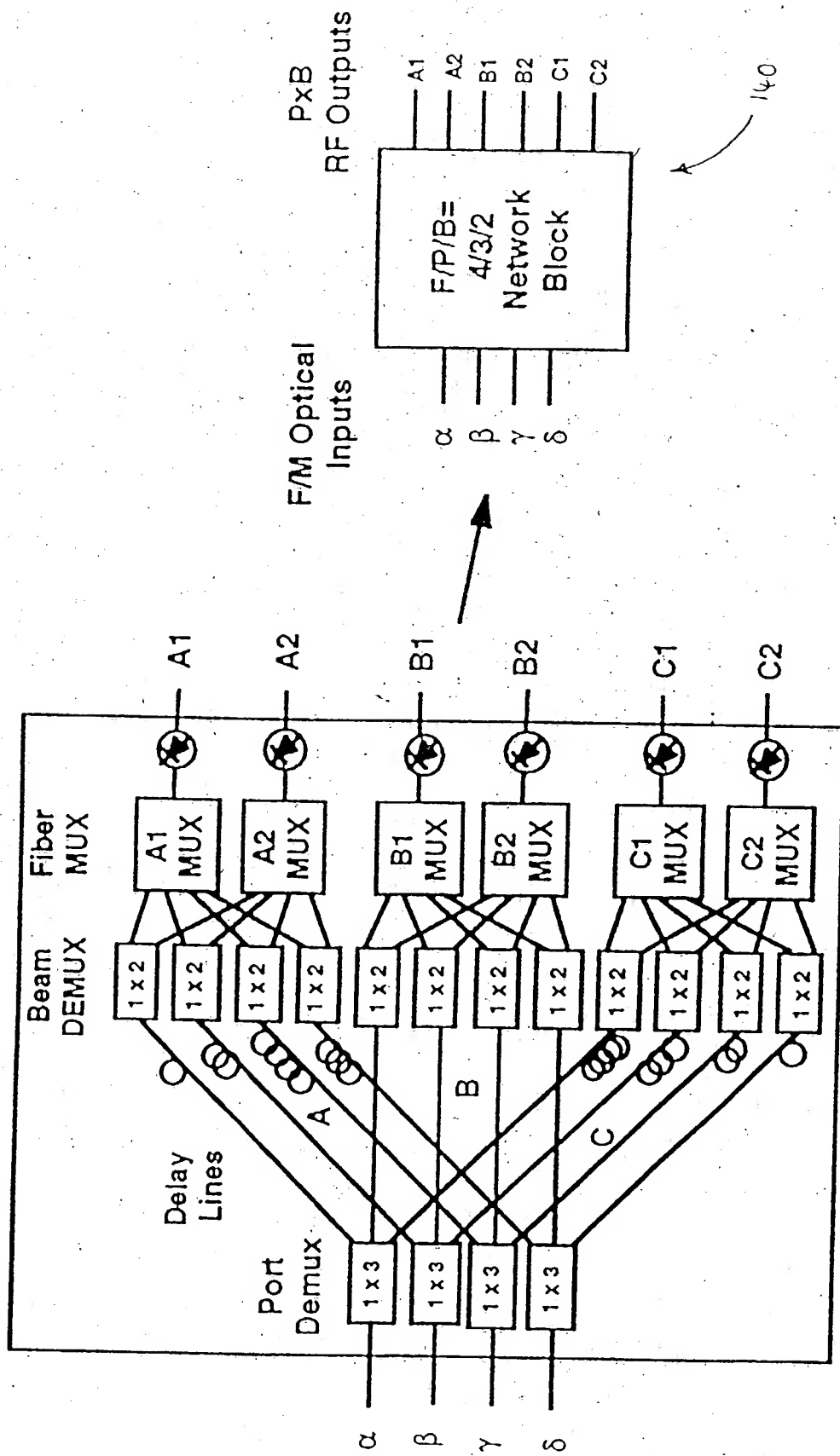


Fig. 15a

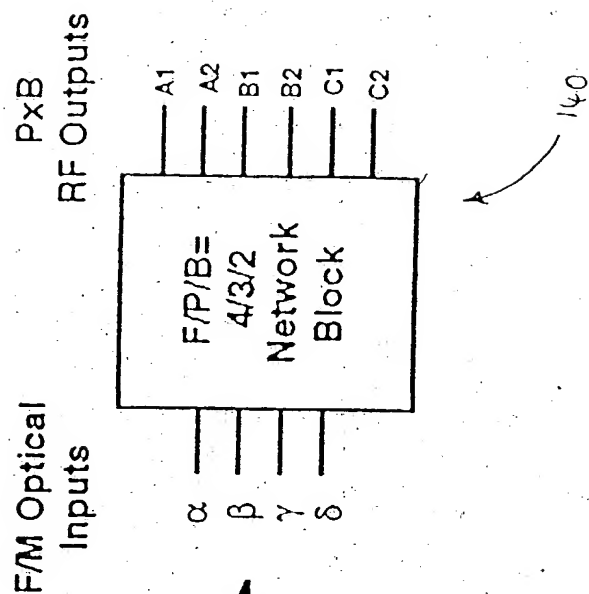


Fig. 15b



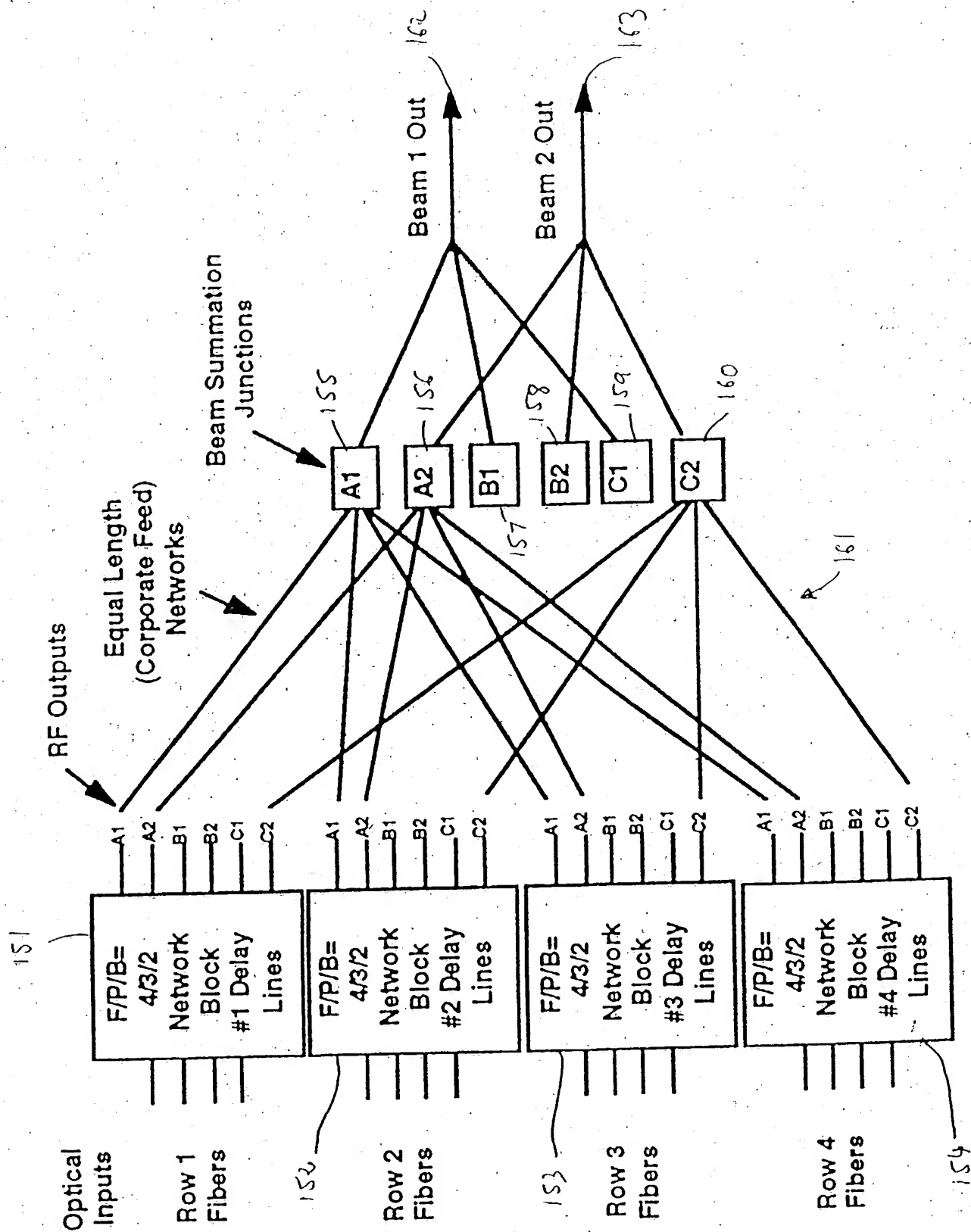


Fig. 16

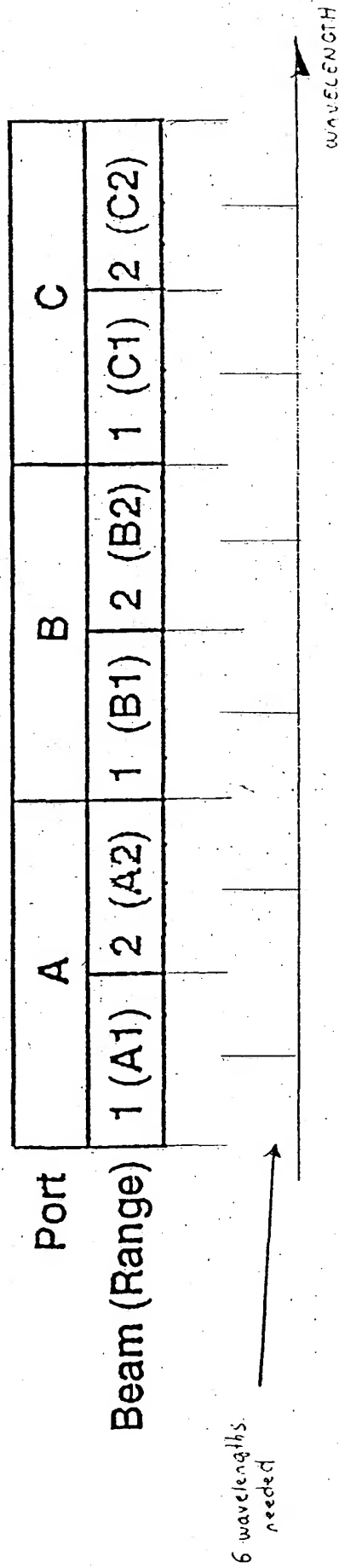
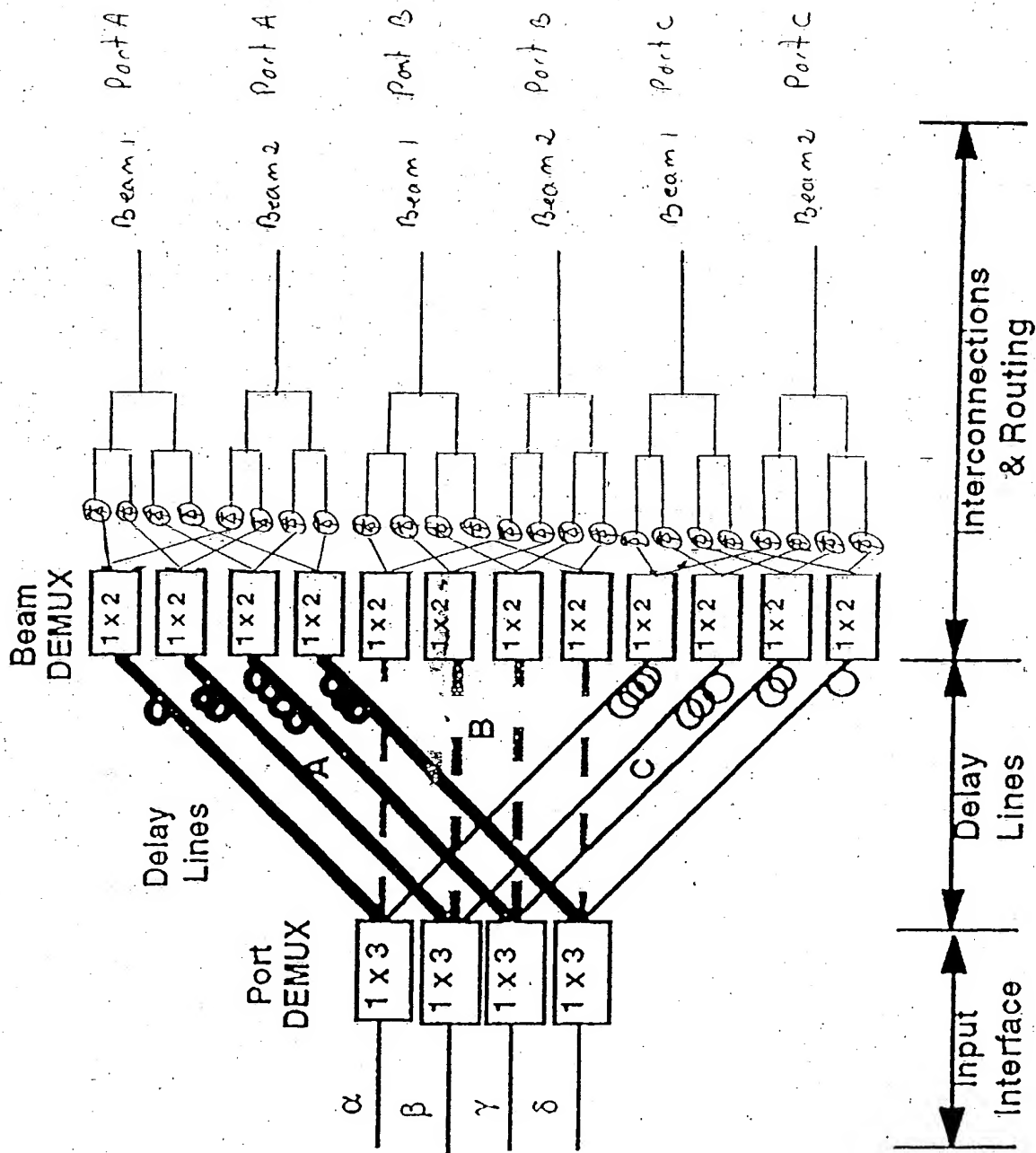


Fig. 17



F.g. 18

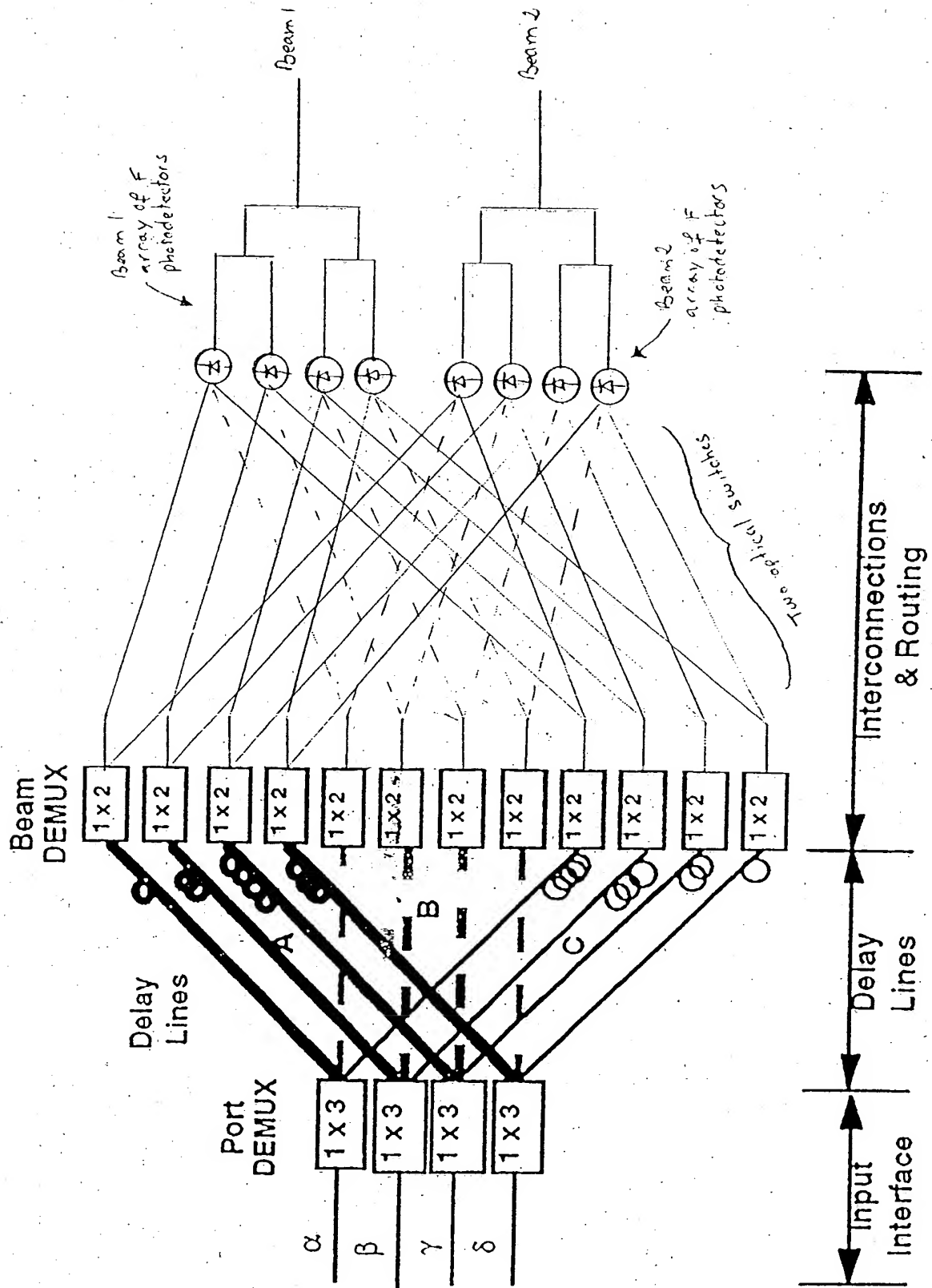


Fig. 19